Example: 2NaCl + HCl → 2NaOH + 2HCl
dissolved in water.

AC = GH - TA5 = 0

\( \frac{2L}{\sqrt{H+L}} \) in

\( \frac{L}{2} \) in

[Diagram]

\( S > l > A \)

\( S = 7 \)
Read over CH₄, CH₂OH, CH₃OH, C₆H₅OH

From CH₃OH, CH₂OH, C₆H₅OH

so build now I set buckets

and pour 0₂ to 60°C

H₂O + CO₂ = CaCO₃ + H₂O

0₂ (g) + 2H₂ (g) = 2H₂O

so much water like 0₂, N₂, H₂ in

the mixture like NH₃, H₂O

are chemicals like (N₂H₃, H₂O)

Good in CH₄

I will give you a jest of the problem.

Keep me stable in C₆H₅OH.

Trial: Another girl.
Look its just two multicolumns. Add it with multiplacation. I have some text at -120 C to 520 C.

\[ \Delta H = m \Delta C \]

Equation 1

\[ \Delta H = m \Delta C \]

Equation 2

\[ \text{Heat} = \text{Heat}_1 + \text{Heat}_2 + \text{Heat}_3 \]

Equation 3

\[ \text{Heat} = \text{Heat}_1 + \text{Heat}_2 + \text{Heat}_3 \]

Equation 4

\[ \Delta H \text{Calc.} \]

Calculation 1

\[ \text{Heat} \text{Abs. Change Phase Boundary} \]

Heat Absorber Change Phase Boundary

\[ p \]

Pressure

\[ \text{Phase diagram now!} \]

Phase diagram now!
8. Edward: Close in C. Close in C.

P = \text{P}_0 \times P_0 = \text{P}_0 \times \text{P}_0

\frac{\text{P}}{\text{P}_0} = \text{P}_0 \times \text{P}_0

\text{Total energy loss due to friction:}

P = P + P + P + P + P = p

\text{in my problem case I put pressure}
so do a simple plus plus

so do a simple plus plus

\[ \Delta f = k_m \]

\[ \Delta T_b = k_b \]

\[ T = T_i \]

\[ P = P_0 \times \]

NACL

\[ \text{NaCl} \]

\[ \text{N}_2 \]

\[ \text{C}_2 \]

\[ \text{E} = 3 \]

\[ \text{M}_2 \text{(OH)}_2 \]

\[ \text{M}_2 \text{(OH)}_2 \]

\[ \text{N}_2 \]

When I'm put compounds in solubility 

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When I'm put compounds in solubility
If $\text{tr}(A) \neq \text{tr}(C)$, then $C$ does not exist.

If $\begin{bmatrix} \mathbf{C} \end{bmatrix} \begin{bmatrix} \mathbf{C} \end{bmatrix} = k \begin{bmatrix} \mathbf{C} \end{bmatrix}$, then $\mathbf{C} \in \mathbb{C}$. To show that $2A + B \in \mathbb{C}$, let $A = \begin{bmatrix} \mathbf{A} \end{bmatrix}$ and $B = \begin{bmatrix} \mathbf{B} \end{bmatrix}$.

If $\begin{bmatrix} \mathbf{A} \end{bmatrix} \begin{bmatrix} \mathbf{B} \end{bmatrix} = k \begin{bmatrix} \mathbf{C} \end{bmatrix}$, then $\mathbf{C} \in \mathbb{C}$. This is clearly easy, from equation (8).

Set up $k = \text{tr}(A)$. So learn how to solve $k = \text{tr}(A)$.
1. Reach left from Q + k

I will give you a K value for a
reach and send shift amount
If Q < K, shift R

Q = (τ/2)

(Left)

For Clatter + Rxn Direct

IF a shift 5 x eqn 4
a stream & applied
rxn shifts L to react stream

IF B = 0

If reach shifts L to react stream

P shift R to decrease P

Shift A(5) to B(3)

If I increase P,

T shift A(c) + B(c) to read

R to react stream

Shift R to read stream

A & B

If B = 0

Shift A(5) to B(3)

If I increase P,

T shift A(c) + B(c) to read

R to react stream

Shift R to read stream

\( \sigma \)