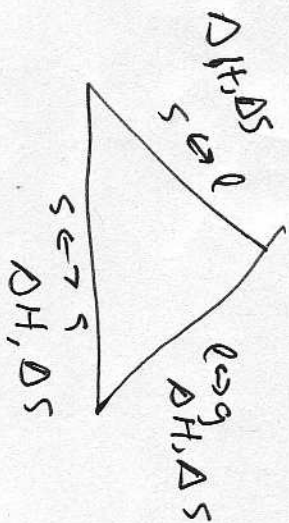


① T dependence of physical eq. lib. in



Thomson's equation

$$\Delta G = \Delta H - T\Delta S = 0$$

are example developed in detail

vapor + temperature = Clausius Clapeyron

$$\ln \frac{P_2}{P_1} = \frac{\Delta H_v}{R} \left(\frac{1}{T_1} - \frac{1}{T_2} \right)$$

exponential relationship between T and V.P.

words

② Henry: dissolve s, l, \underline{g}

dissolve solid \rightarrow liquid "like dissolve like"

words but we can use examine to salts \rightarrow H₂O (ionic) polar

know no detail of salts in H₂O

$$\Delta G_{soln} = \Delta H_{soln} - T\Delta S_{soln}$$

ΔH_{soln} usually positive because entropy increases in mix-1
 ΔS_{soln} usually positive because entropy increases in mix-1

$$\Delta H_{soln} = \Delta H_{hyd} + \Delta H_{c.v.} \rightarrow \text{change due to } h_f \uparrow \text{ means } \uparrow \Delta H_{c.v., hyd}$$

Example: salt (NaCl) \rightarrow more compact
 is endothermic and liquid \rightarrow more compact
 in H₂O as T increases because of Le Chatelier

3) Theory: dissolves g, l, s gas dissolves because

O_2 in H_2O is exothermic.



so according to Le Chatelier as $T \uparrow$, reaction shifts left and O_2 leaves H_2O , fish die

H.f.t for 2+3. Acid to ends, O_2 to exo ΔH_{sol}

- o like dissolves like ($CH_4 \rightarrow H_2O$)
- o rxn $CO_2 \rightarrow H_2O$
- o nonpolar due to ΔS_{mix}
- o so small molecule like O_2, N_2, H_2, He dissolve, $al. H_2O$, in H_2O .

4) Rank miscibility of liquids easy problem.

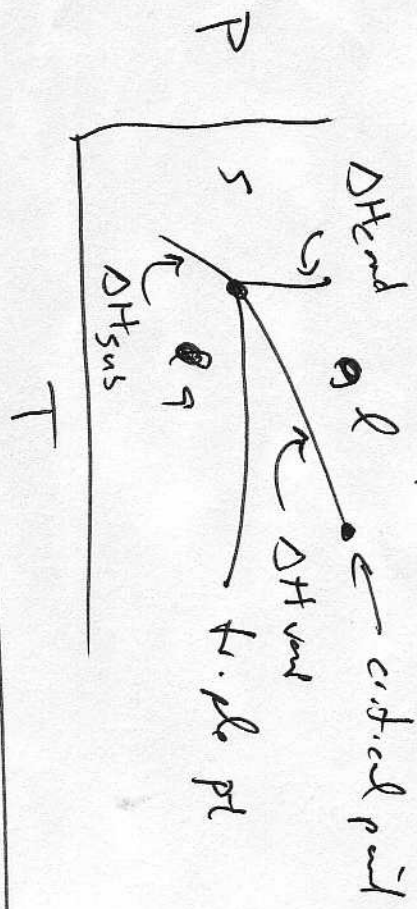
I will give you a list of molecules. you rank based upon how polar or nonpolar. so build you IMF buckets

Rank CH_3OH, CH_3CH_2OH, CH_4

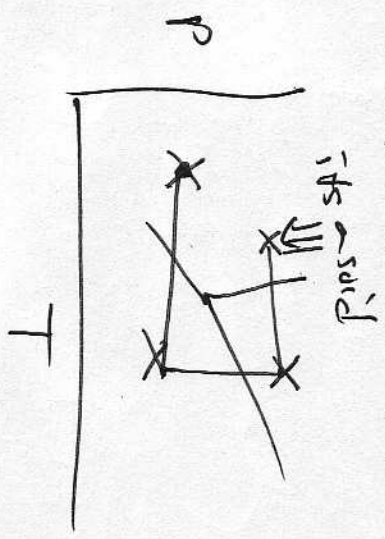
least polar goes in C_6H_{14} CH_4 , CH_3CH_2OH , CH_3OH most polar goes in H_2O

5. Phase diagram navigation.

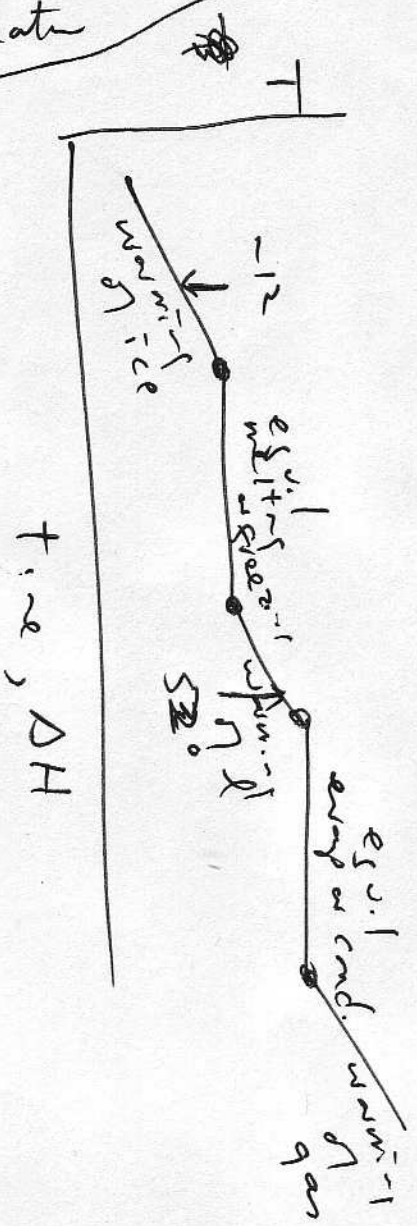
• know your phase diagram
 too much



• see as ΔT to fall
 ΔS in $T + P$
 its said



6. calc. ΔH across phase boundary



• ΔH region on T vs ΔT

warming region

$\Delta H = mC\Delta T$

eq. v.l. region

$\Delta H = mC$

I have some ice at $-12^\circ\text{C} \rightarrow 52^\circ\text{C}$.

$$\Delta H_{heating} = \Delta H_{warming\ ice} + \Delta H_{melt} + \Delta H_{warming\ H_2O}$$

$$mC\Delta T$$

Look, it's just add'n + mult'plication, you don't need a calculator

7. V.P. in a binary system.

You use Dalton Law of Partial Pressures

$$P_{TOT} = P_{\text{gas kind 1}} + P_{\text{gas kind 2}}$$

Ramtha's Law done twice

$$P_{me} \neq P^0 X$$

$$P_{second} = P^0 X$$

But $X_{second} = 1 - X_{first}$

$X = \text{mole fraction}$ and here it's given.

$P^0 = P_{V.P.}$ always given

8. Calculate: Clausius Clapeyron

Trains took money in gm. This is not a

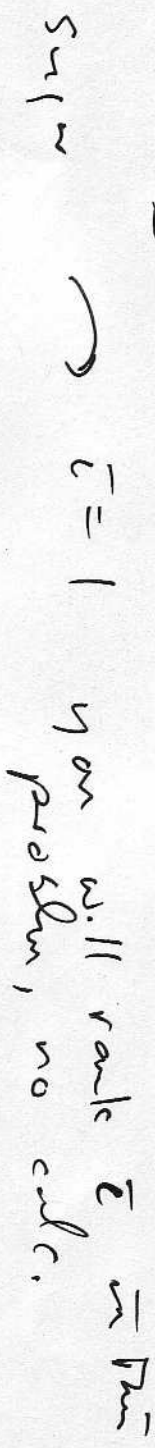
calculator but an "understanding C.C."

problem. Be able to say 4 or 5 things about what C.C. is and does.

- exp. relation of T + V.P.
- tells you how T affects V.P.
- something like ideal gas and I + S are not
- use it to tell us one P + T given another P + T
- a function of DT, which is related with IMF.

9. Verify H₂O + solid conc

When you put compounds in solution, if the concentration matters rather than the chemistry, then you correct for it.



This corrects for all coll. r. properly
ΔT_f, ΔT_b, ΔT_f, Π, P

10 colligative property calc.

$\Delta T_f = K_f m$

$\Delta T_b = K_b m$

$\Pi = MRT$
no

$P = P^0 X$

so do a simple plus + chug

NO

Set up 15 eqn's.

This is really easy. From balanced equation

$$aA + bB \rightleftharpoons cC \Rightarrow K = \frac{[C]^c}{[A]^a [B]^b}$$

remains constant

solids + pure liquids \Rightarrow 1 activity

2 Calc. eqn's. conc from K

So simple you will get it wrong

If $K = 10$ and $[A] = 5 + [B] = 3$

what is $[C]$ if $2A + B \rightarrow C$?

Find you are given $[]$ not C to start

13

Reachm due chn From $Q + K$

I will give you a K value for a reachm and some shifhtg amounts. From

These you find Q . If $Q < K$, shifts R

$\forall Q > K$, shifts ~~L~~ $Q = \frac{(Pisw)}{(left)}$

1st Le Chatlier + Rxn Direchn

IF a system is at equl +

- a shwn is applied
- rxn shifts L or R to counter shwn

[] shwn

$A \rightleftharpoons B$

if $B \uparrow$ then
reactn shifts
left to wch A

P shwn

$A(g) \rightleftharpoons B(s)$

if I increase P,
then rxn shifts
R to decrease P

T shwn

$A(g) \rightleftharpoons B(s) + heat$

$\forall T \uparrow$ then
reactn sh.fts L
to get away from
heat